



Fig.7: 2007 D-PHASE precipitation data set and REGNIE for August 2007 (see talk of T. Gorgas).

All model evaluation strategies demonstrate superior performance of convection permitting models with respect to QPF.

n in COPS

## Studies of predictability based on Bayesian statistics with NUMEX Bayesian factor B: $B_{ir} = \frac{l(\vec{d} | M_i)}{r_i}$ I: likelihood, d: data vector, M<sub>i</sub>: ith model, Performance analyses with deterministic and probabilistic skill scores Selection of multi-boundary, convection permitting multi-model ensemble $l(\vec{d} \mid M_r)$ M<sub>r</sub>: reference model, in this case: observations $\frac{1}{\sqrt{(2\pi)^q}} \sqrt{\frac{\det \mathbf{G}_i^{-1}}{\det \mathbf{K}_i \det \mathbf{K}_0}} \exp\left(-\frac{1}{2}\Lambda_i\right) \quad \text{with} \quad \mathbf{G}_i = \mathbf{K}_i^{-1} + \mathbf{K}_0^{-1} \quad \text{and} \quad \Lambda_i = (\vec{d} - \vec{f}_i)^T \mathbf{K}_0^{-1} \mathbf{G}_i^{-1} \mathbf{K}_i^{-1} (\vec{d} - \vec{f}_i)$ If the variable is multivariate normally distributed $l(\vec{d} \mid M_i) =$ $f_i$ : forecast vector, $\mathbf{K}_i$ : model error covariance matrix, $\mathbf{K}_0$ : observation error covariance matrix. A variable d is predictable in dependence of forecast range $\tau$ if $P_{\tau}(d) := B_{ir\tau}(d) > B_{c}$ (sign. nonzero). Consequently, we are proposing a method to quantify predictability of, e.g., precipitation, in dependence of forecast range, resolution, domain, and model physics.

· Model evaluation made good progress, however, more detailed analyses are required with respect to various weather conditions. Status Best performance expected by convection permitting ensemble.
Bayesian framework will be applied for predictability studies, in preparation.