



## Studies of the Process Chain and the Predictability of Precipitation with the D-PHASE Ensemble and COPS Observations

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### COPS 4D data set

- 18 IOPs during 35 days
- Combination of various forcing mechanisms
- Several extreme events captured
- Unique sensor synergy with excellent data quality
- Precipitation process chain can be studied in detail
- All COPS science questions can be addressed



Fig.2: Easy access to information concerning missions and quicklooks via COPS web site.

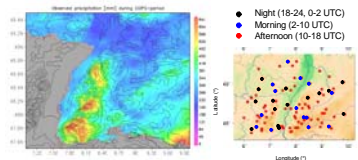


Fig.1: Precipitation and MSG CI statistics during COPS

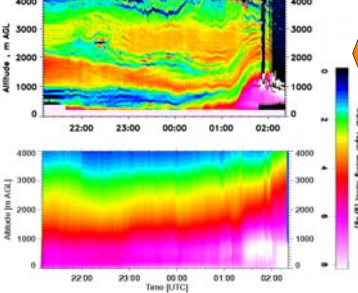


Fig.3: IPM DIAL and IMAA microwave radiometer water-vapor measurement during IOP 13, August 1-2, 2007.

### COPS-GOP-D-PHASE data archive

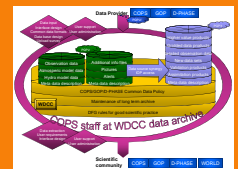


Fig.4: Data management tasks.

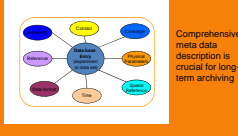


Fig.5: WDC data base design.

### D-PHASE ensemble

- Unique multi-model combination using different parameterizations, data assimilation systems, and boundary conditions:
  - 6 ensemble forecast systems
  - 11 models with convection parameterization
  - 9 convection permitting models
- Suitable for selection of multi-model ensemble and for predictability studies

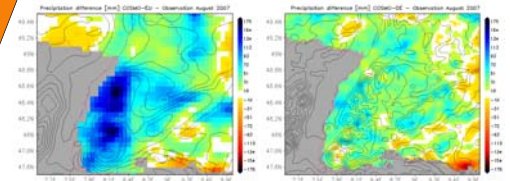


Fig.6: D-PHASE model evaluation using COSMO-EU with convection parameterization and convection permitting models. COSMO-DE gives already insight in one key error of precipitation forecasting in complex terrain: the windward-lee effect. Obviously, strong systematic errors are caused by convection parameterization.

## IPM Project Office

### First case study of process chain, IOP 8b

Deep convection with short lifetime was initiated in the COPS domain.

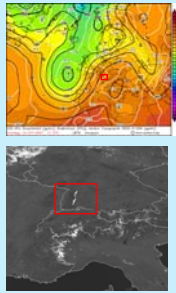


Fig.7: Large-scale conditions: GFS analysis and MSG RSS

#### A. Convection initiation

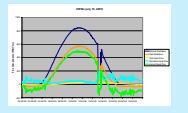


Fig.8: Surface fluxes at Supersite S.

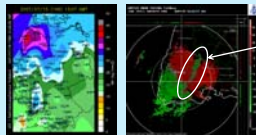


Fig.9: GPS IWV field and radar radial velocity.

Black Forest lee side convergence line detected

#### B. Organization of convection and microphysics

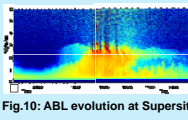


Fig.10: ABL evolution at Supersite M.

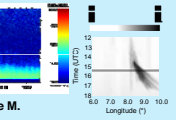


Fig.11: MSG IR 10.8-µm BT Hovmöller diagram.

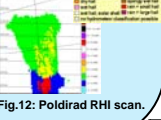


Fig.12: Poldirad RHI scan.

### Model performance during IOP 8b

Just two models (MESO-NH and AROME) managed to simulate deep convection.

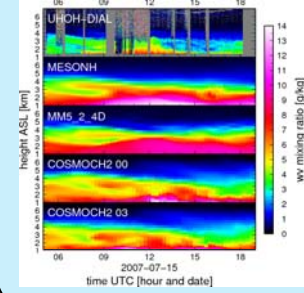


Fig.13: Model water-vapor meteorograms at Supersite H in comparison with DIAL observation.

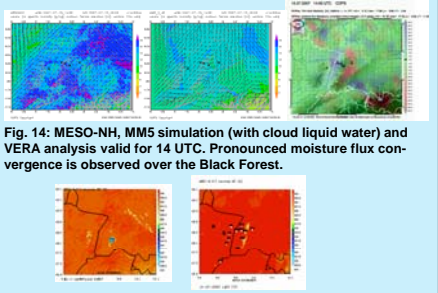


Fig.14: MESO-NH, MMS simulation (with cloud liquid water) and VERA analysis valid for 14 UTC. Pronounced moisture flux convergence is observed over the Black Forest.

### Proposals of suitable combinations of model forecasts for process studies in order to:

Evaluate the impact of different data assimilation systems and observations. First results: Strong deviation between model initial fields and observations with respect to water-vapor.

Investigate the initiation and organization of convection. First results: Flow in complex terrain, water-vapor field, and temperature structure must be studied in great detail with COPS data set.

Analyze failures of parameterizations and evaluate model physics. First results: Convection parameterization responsible for systematic errors but deficiencies remain in convection permitting models.

Analyze and improve model ensemble skills for optimal combination of ensemble

- Ensemble calibration using, e.g., Bayesian averaging or reforecasting.
- Performance analyses with probabilistic skill scores
- Selection of multi-boundary, convection permitting multi-model ensemble

 Fig.16: First evaluation of D-PHASE models in COPS domain.

Studies of predictability based on Bayesian statistics with NUMEX
 Bayesian factor B:  $B = \frac{L(\vec{d} | M_i)}{L(\vec{d} | M_r)}$  I: likelihood, d: data vector, M<sub>i</sub>: ith model, M<sub>r</sub>: reference model.
 If the variable is multivariate normally distributed with  $G_i = K_i^{-1} + K_0^{-1}$  and  $\Lambda_i = (\vec{d} - \vec{f}_i)^T K_0^{-1} G_i^{-1} K_0^{-1} (\vec{d} - \vec{f}_i)$ 
 $L(\vec{d} | M_i) = \frac{1}{\sqrt{(2\pi)^n}} \sqrt{\frac{\det G_i^{-1}}{\det K_i \det K_0}} \exp\left(-\frac{1}{2} \Lambda_i\right)$ 
 A variable d is predictable in dependence of forecast range  $\tau$  if  $P_\tau(d) := B_\tau(d) > B_c$  (sign. nonzero). Consequently, we are proposing a method to quantify predictability of, e.g., precipitation, in dependence of forecast range, resolution, domain, and model physics.

Extension of the results from the COPS to the D-PHASE domain. Contributions to WWRP, such as THORPEX and the international Data Assimilation Testbed.